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# Quiz solutions

Compiler Construction, Fall 2012

Wednesday, December 19, 2012

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Last Name : \_\_\_\_\_

First Name : \_\_\_\_\_

<b>Exercise</b>	<b>Points</b>	<b>Achieved Points</b>
1	10	
2	10	
3	20	
<b>Total</b>	40	

# Problem 1: Lexical Analysis (10 points)

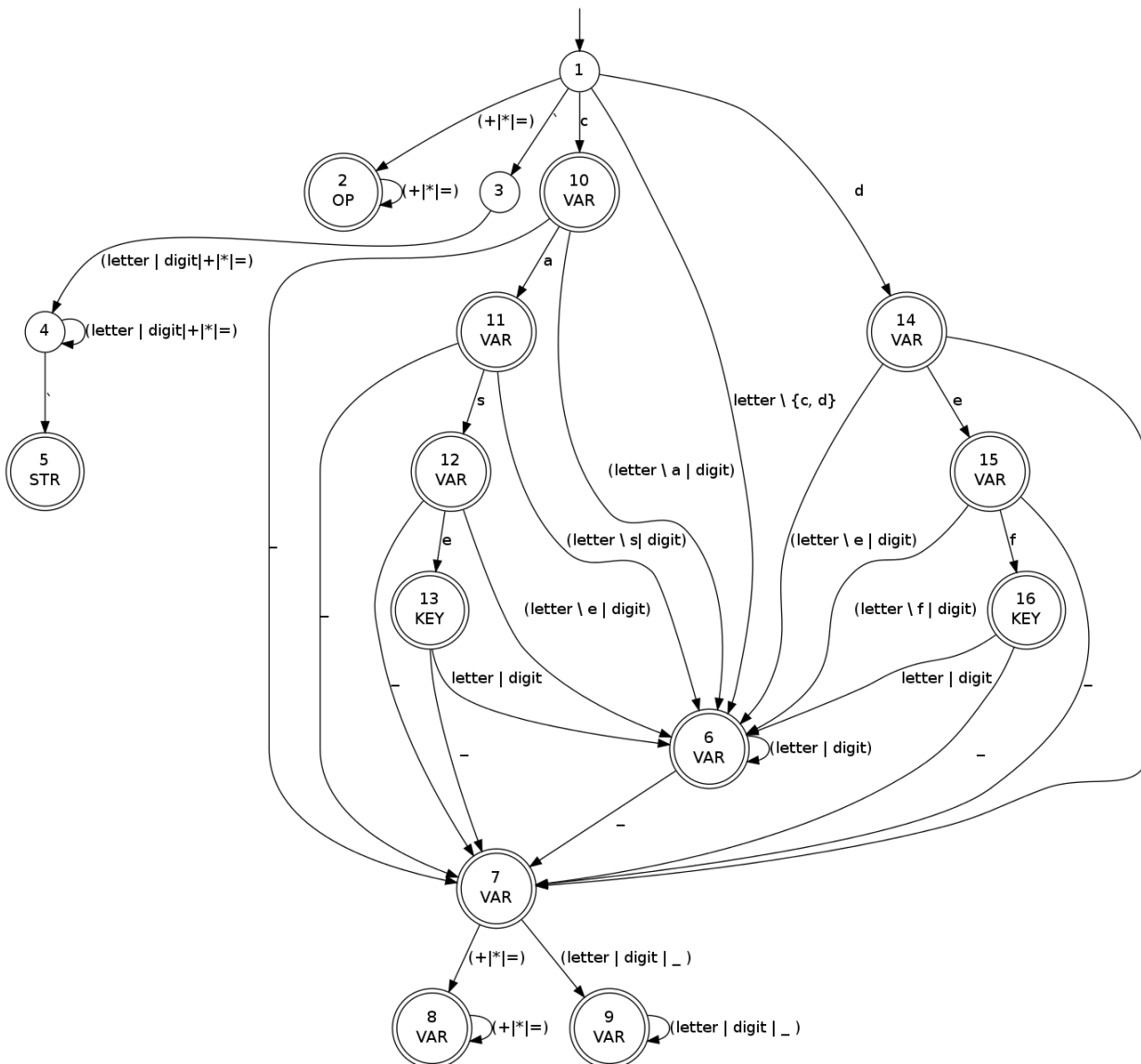
a) [2 pts]

```
big_bob | += | 'def'
VARID      OP      STRINGID
```

```
++ | 'case' | type_x | == | func123_def | += | case | ** | def_77
OP  STRING  VARID  OP  VARID      OP  KEY  OP  VARID
```

b) [8 pts]

In the automaton, VAR stands for VARID, and STR for STRINGID. All missing links go to the error state.



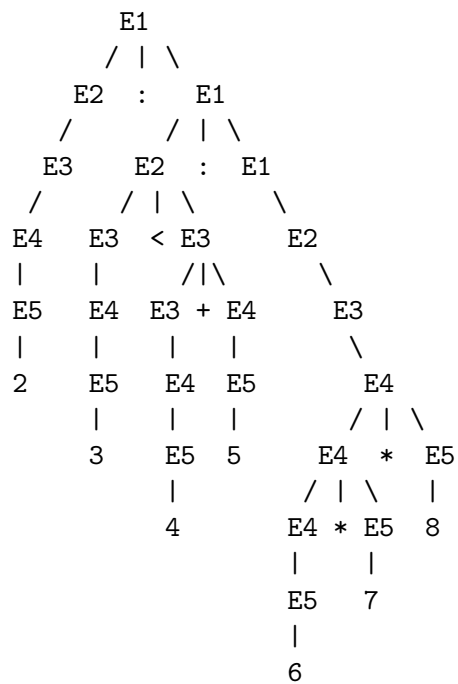
## Problem 2: Grammars (10 points)

a) [8 pts]

$E_1 \rightarrow E_2 : E_1 \mid E_2$   
 $E_2 \rightarrow E_3 < E_3 \mid E_3$   
 $E_3 \rightarrow E_3 + E_4 \mid E_4$   
 $E_4 \rightarrow E_4 * E_5 \mid E_5$   
 $E_5 \rightarrow ( E_1 ) \mid \text{num}$

b) [2 pts]

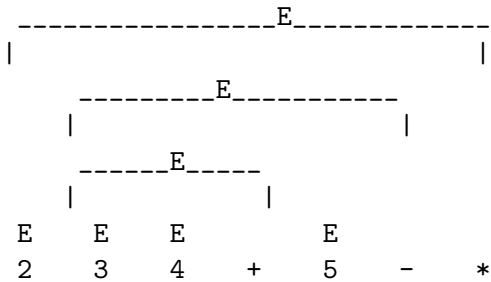
2: ( (3 < (4+5)) : ((6\*7)\*8) )



### Problem 3: Parsing (20 points)

a) [5 pts]

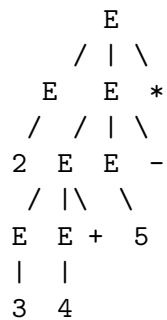
The CYK algorithm runs as follows:



Thus we get the following triples:

(E, 0, 1), (E, 1, 2), (E, 2, 3), (E, 4, 5), (E, 1, 4), (E, 1, 6), (E, 0, 7)

The only parse that we get is the following:



b) [15 pts]

We claim that the grammar is not ambiguous. Proof: consider parsing the language in reverse. For this we reverse all the grammar rules such that  $E \rightarrow EE+$  becomes  $E \rightarrow +EE$ . The resulting grammar is LL(1) as each grammar rule starts with a distinct nonterminal. Thus, we can parse the reverse string unambiguously with an LL(1) parser, and reverse the resulting parse tree to obtain the parse tree of the original grammar.