

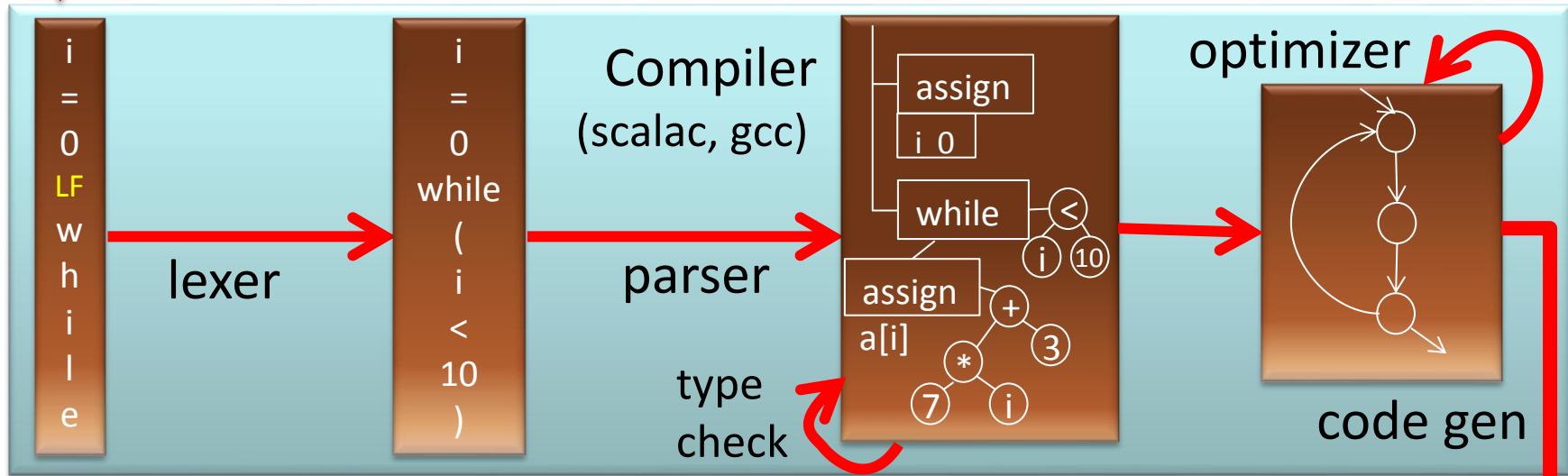
Code Generation Introduction

```
i=0  
while (i < 10) {  
    a[i] = 7*i+3  
    i = i + 1 }
```

source code
(e.g. Scala, Java, C)
easy to write

idea

data-flow
graphs



characters

words

trees

machine code
(e.g. x86, arm, JVM)
efficient to execute

```
mov R1,#0  
mov R2,#40  
mov R3,#3  
jmp +12  
mov (a+R1),R3  
add R1, R1, #4  
add R3, R3, #7  
cmp R1, R2  
blt -16
```



Example: gcc

```
#include <stdio.h>
int main() {
    int i = 0;
    int j = 0;
    while (i < 10) {
        printf("%d\n", j);
        i = i + 1;
        j = j + 2*i+1;
    }
}
```

where
is it?

gcc test.c -S

```
.L3:    jmp .L2
        movl -8(%ebp), %eax
        movl %eax, 4(%esp)
        movl $.LC0, (%esp)
        call printf
        addl $1, -12(%ebp)
        movl -12(%ebp), %eax
        addl %eax, %eax
        addl -8(%ebp), %eax
        addl $1, %eax
        movl %eax, -8(%ebp)

.L2:    cmpl $9, -12(%ebp)
        jle .L3
```

LLVM: Another Interesting C Compiler

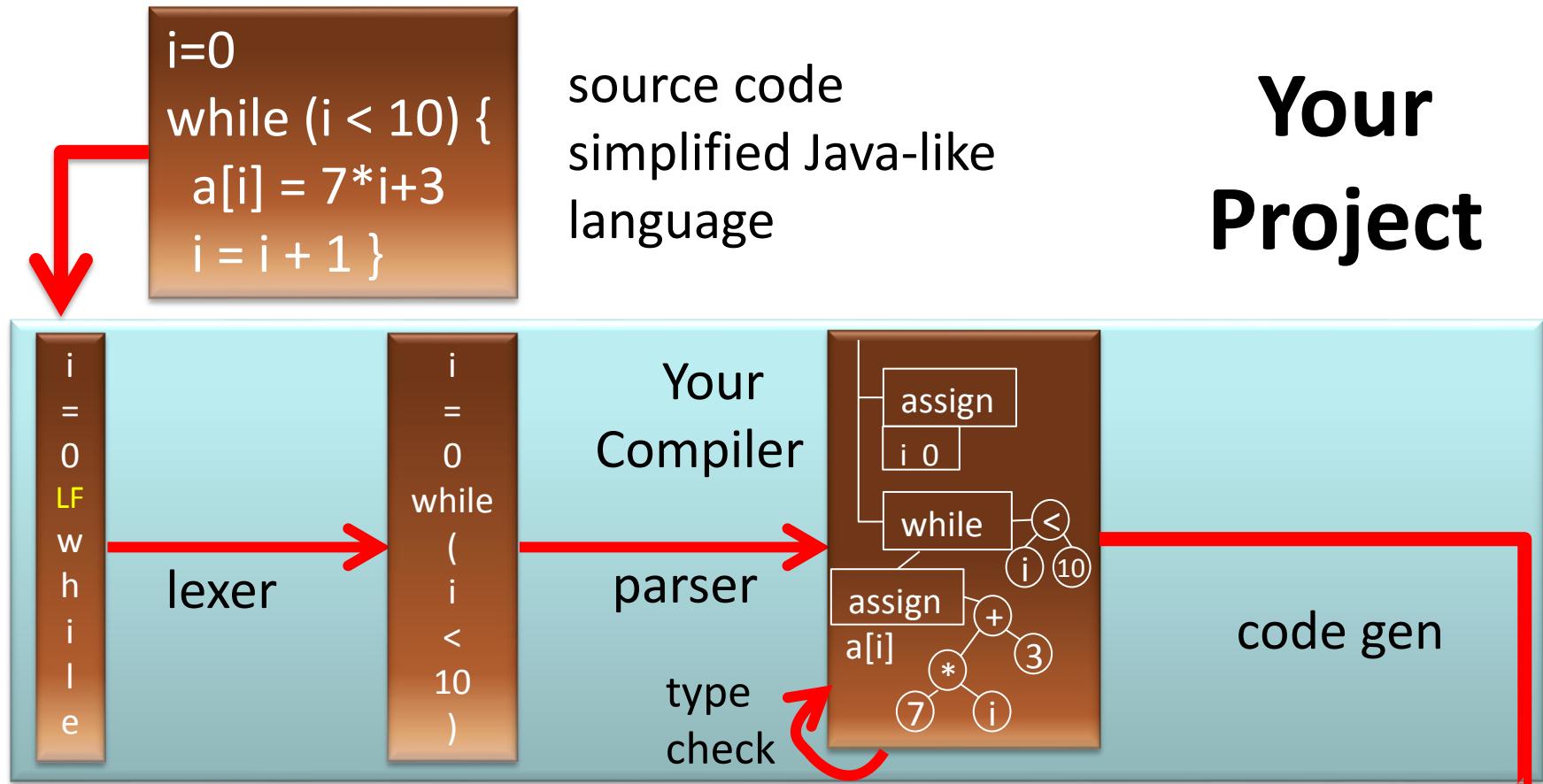
The LLVM Compiler Infrastructure

LLVM Overview

The LLVM Project is a collection of modular and reusable compiler and toolchain technologies. Despite its name, LLVM has little to do with traditional virtual machines, though it does provide helpful libraries that can be [used to build them](#).

LLVM began as a [research project](#) at the [University of Illinois](#), with the goal of providing a modern, SSA-based compilation strategy capable of supporting both static and dynamic compilation of arbitrary programming languages. Since then, LLVM has grown to be an umbrella project consisting of a number of different subprojects, many of which are being used in production by a wide variety of [commercial and open source](#) projects as well as being widely used in [academic research](#). Code in the LLVM project is licensed under the ["UIUC" BSD-Style license](#).

Your Project



characters

words

trees

**Java Virtual Machine
(JVM) Bytecode**

21: iload_2
22: iconst_2
23: iload_1
24: imul
25: iadd
26: iconst_1
27: iadd
28: istore_2

javac example

```
while (i < 10) {  
    System.out.println(j);  
    i = i + 1;  
    j = j + 2*i+1;  
}
```

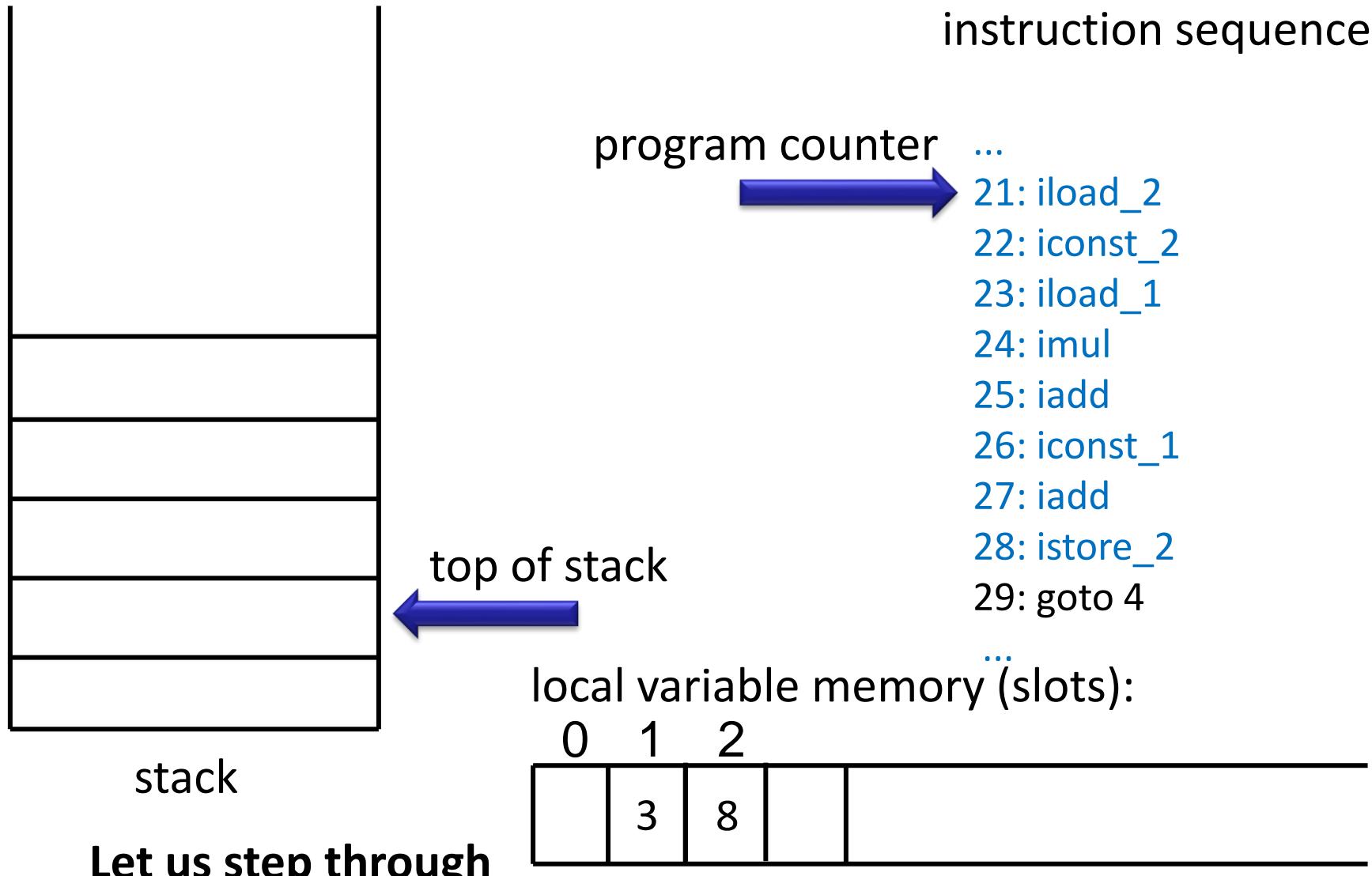
javac Test.java
javap -c Test

4: iload_1
5: bipush 10
7: if_icmpge 32
10: getstatic #2; //System.out
13: iload_2
14: invokevirtual #3; //println
17: iload_1
18: iconst_1
19: iadd
20: istore_1
21: iload_2
22: iconst_2
23: iload_1
24: imul
25: iadd
26: iconst_1
27: iadd
28: istore_2
29: goto 4
32: return

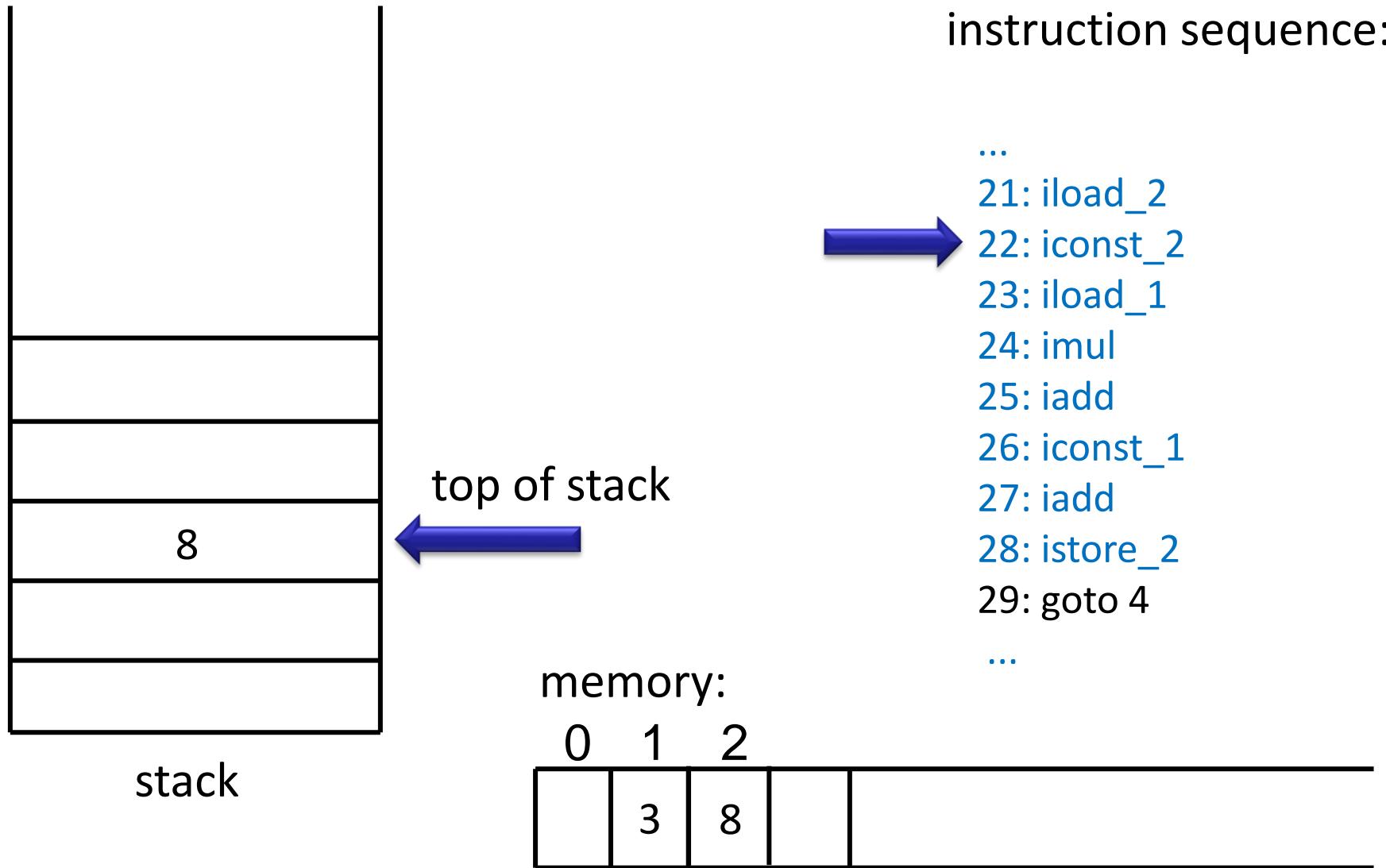
Phase after
type checking:
emits such
bytecode
instructions

Guess what each JVM instruction for
the highlighted expression does.

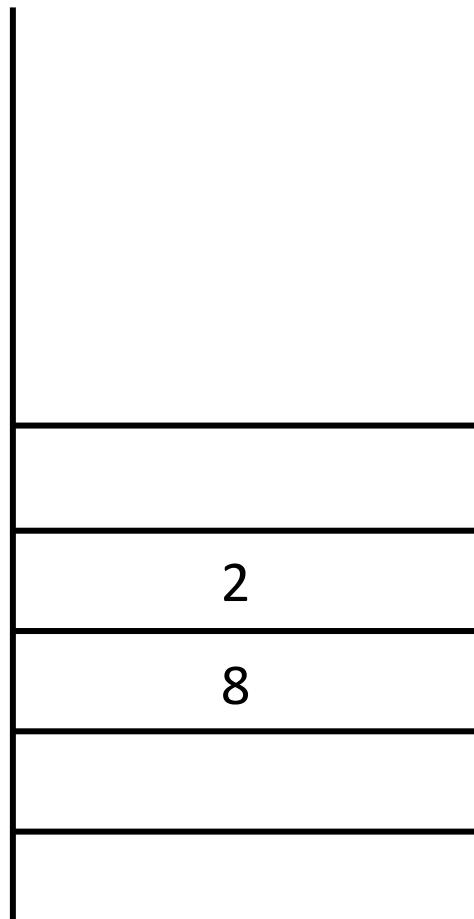
Stack Machine: High-Level Machine Code



Operands are consumed from stack and put back onto stack

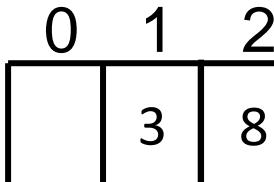


Operands are consumed from stack and put back onto stack



top of stack

memory:



instruction sequence:

...

21: iload_2

22: iconst_2

23: iload_1

24: imul

25: iadd

26: iconst_1

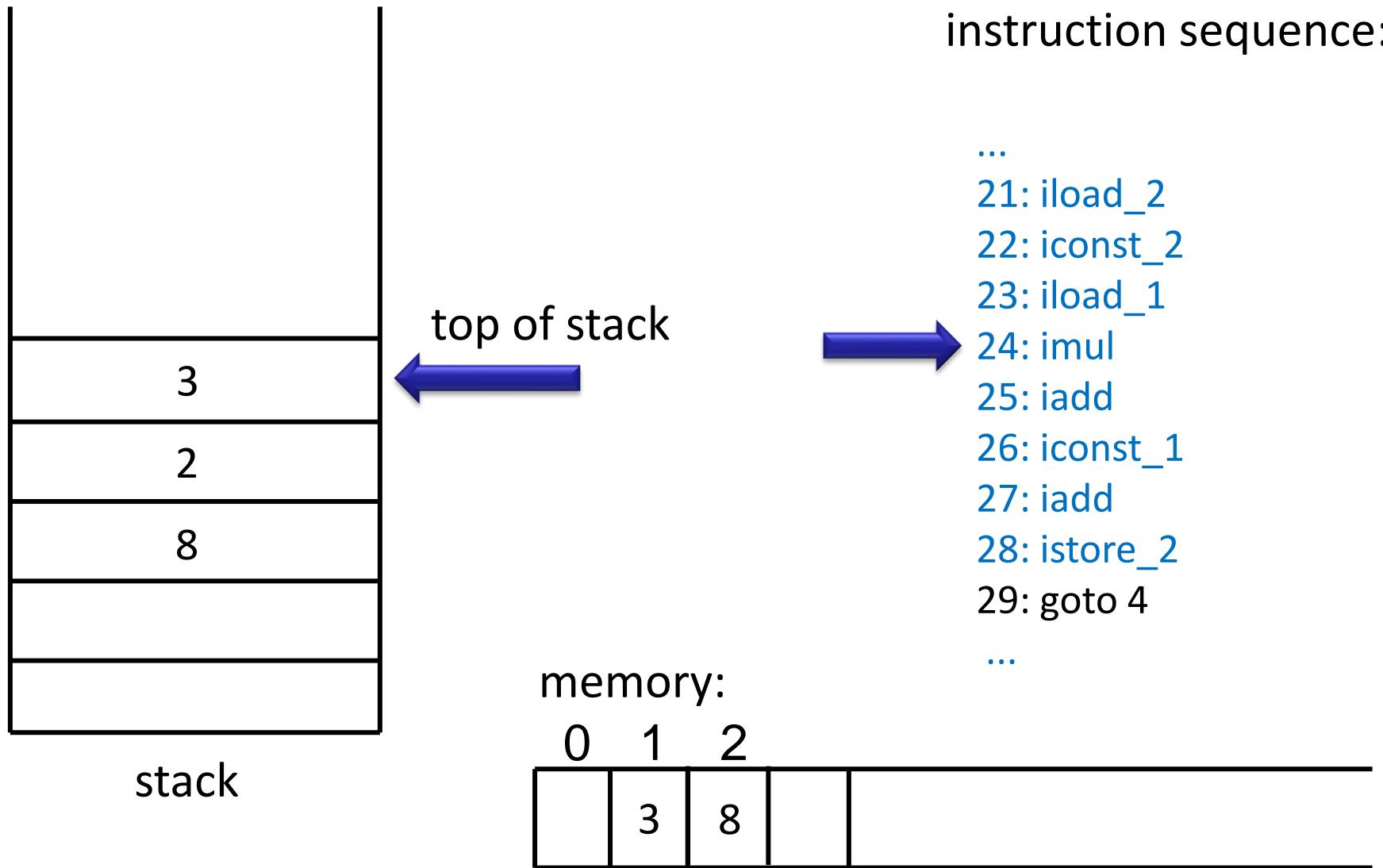
27: iadd

28: istore_2

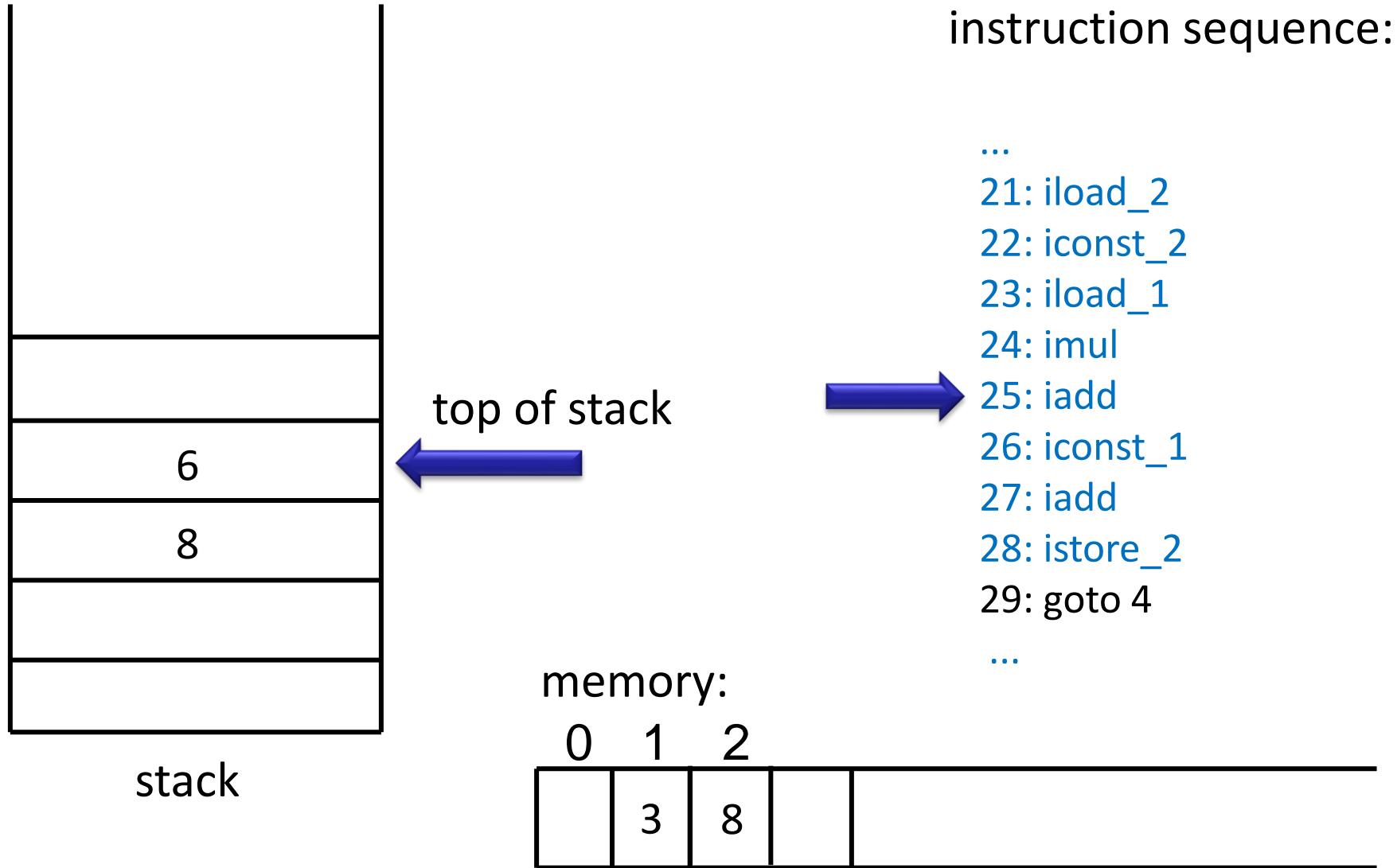
29: goto 4

...

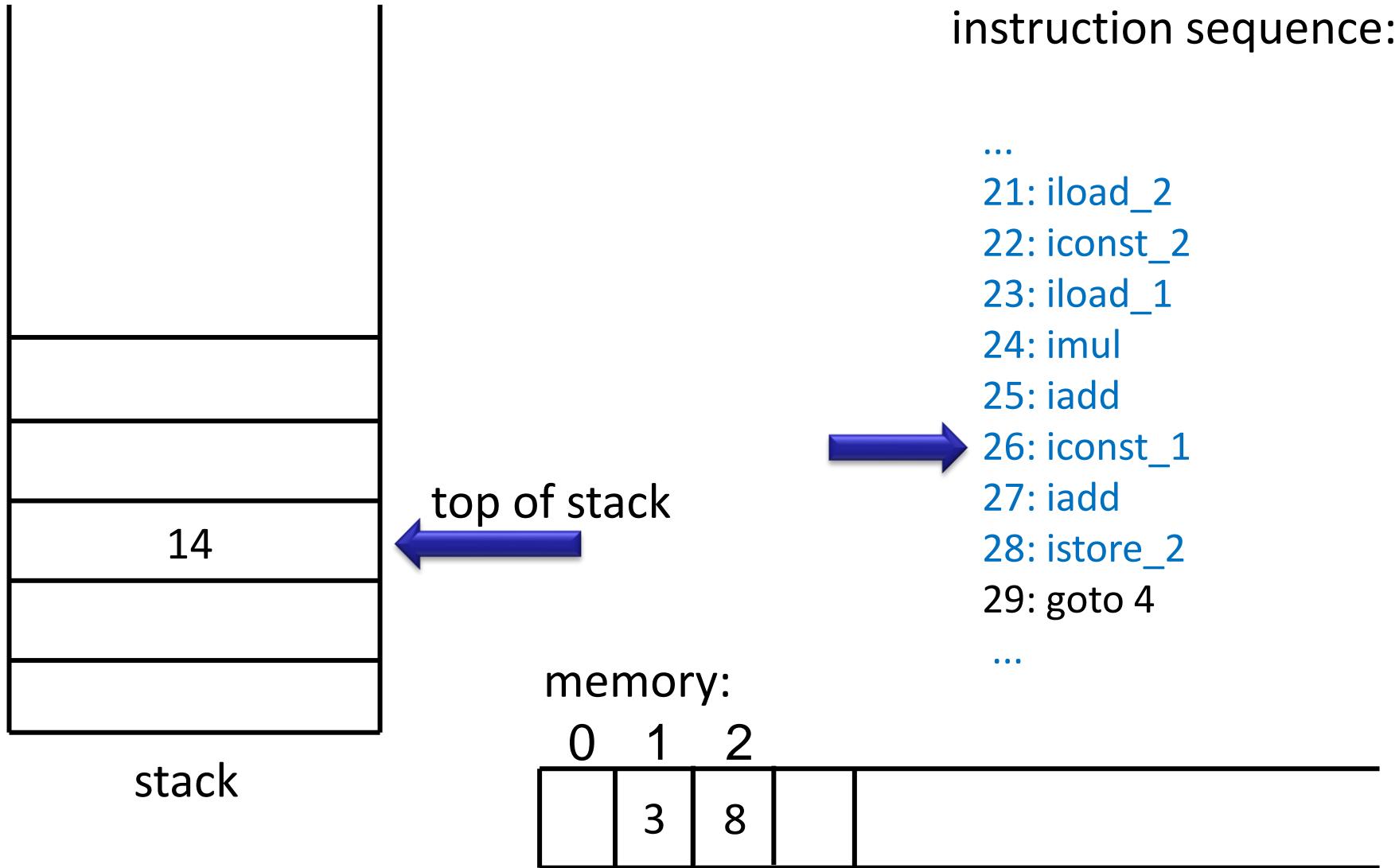
Operands are consumed from stack and put back onto stack



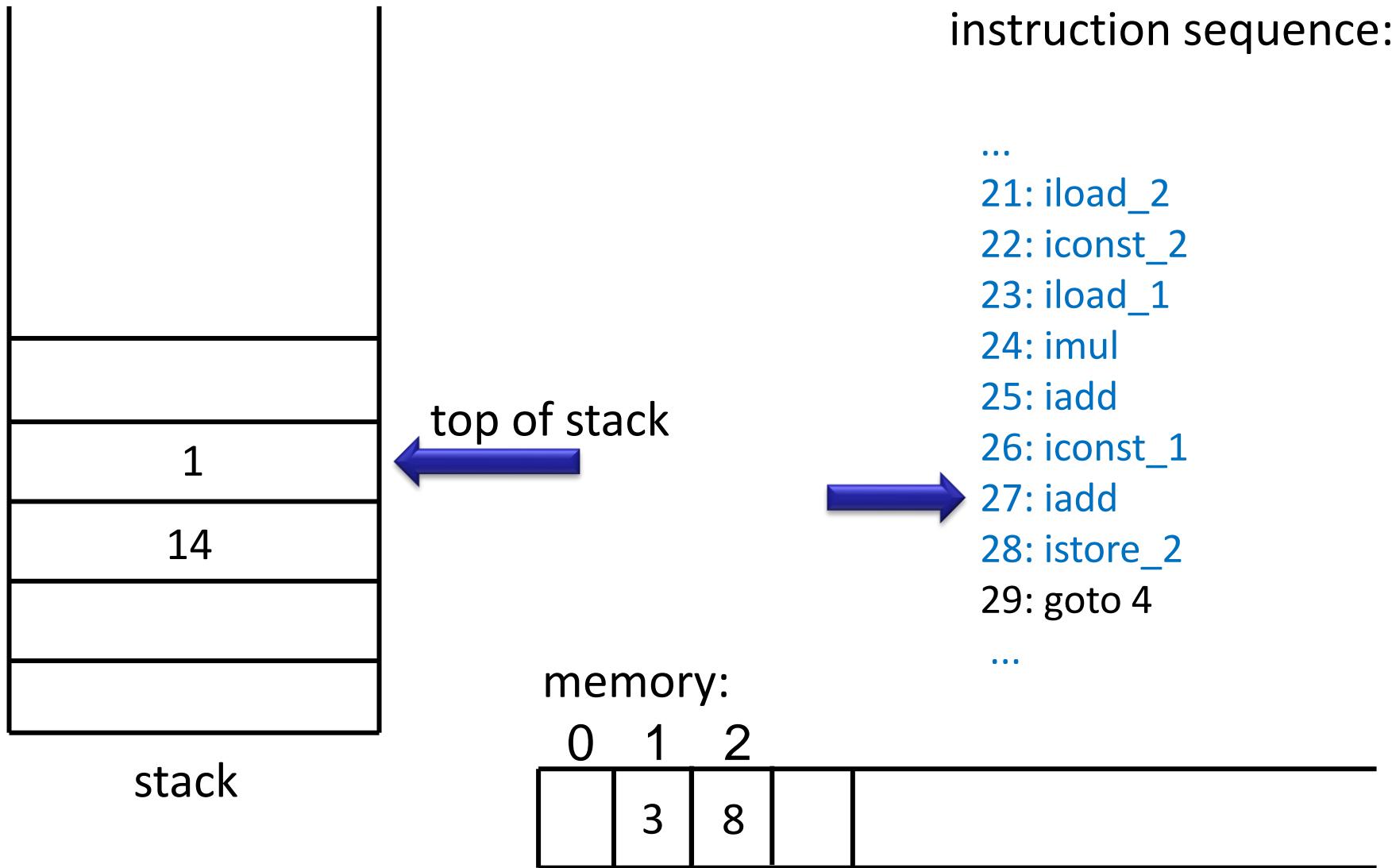
Operands are consumed from stack and put back onto stack



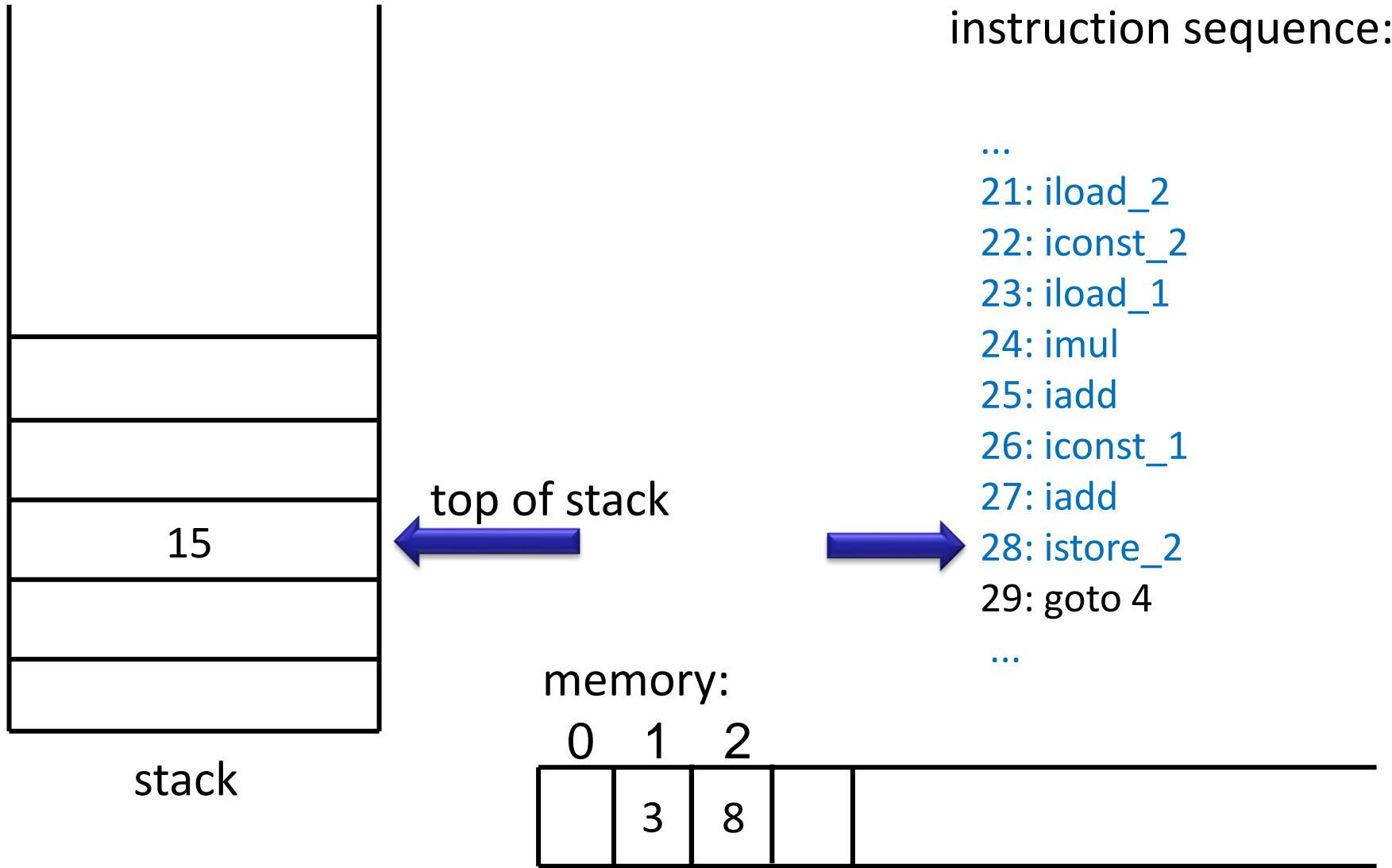
Operands are consumed from stack and put back onto stack



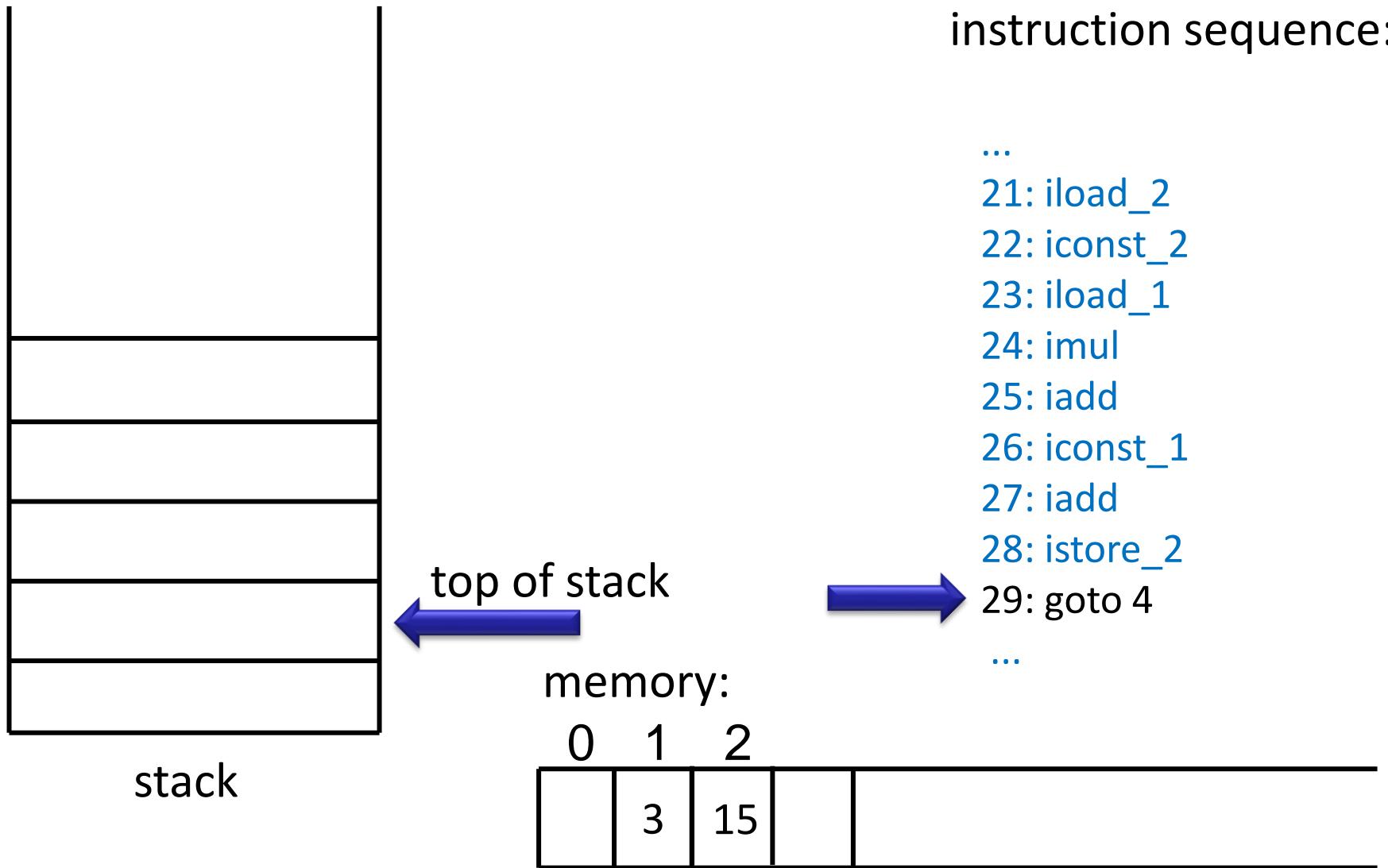
Operands are consumed from stack and put back onto stack



Operands are consumed from stack and put back onto stack



Operands are consumed from stack and put back onto stack



Instructions in JVM

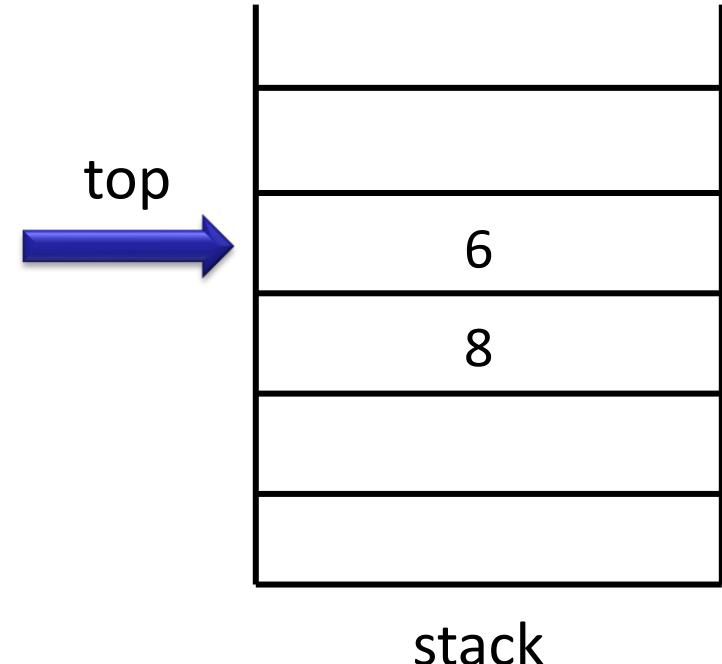
- Separate for each type, including
 - integer types (iadd, imul, iload, istore, bipush)
 - reference types (aload, astore)
- Why are they separate?
 - Memory safety!
 - Each reference points to a valid allocated object
- Conditionals and jumps
- Further high-level operations
 - array operations
 - object method and field access

Stack Machine Simulator

```
var code : Array[Instruction]
var pc : Int // program counter
var local : Array[Int] // for local variables
var operand : Array[Int] // operand stack
var top : Int
```

```
while (true) step
```

```
def step = code(pc) match {
  case ladd() =>
    operand(top - 1) = operand(top - 1) + operand(top)
    top = top - 1 // two consumed, one produced
  case Imul() =>
    operand(top - 1) = operand(top - 1) * operand(top)
    top = top - 1 // two consumed, one produced
}
```



Stack Machine Simulator: Moving Data

```
case Bipush(c) =>
    operand(top + 1) = c // put given constant 'c' onto stack
    top = top + 1
case Iload(n) =>
    operand(top + 1) = local(n) // from memory onto stack
    top = top + 1
case Istore(n) =>
    local(n) = operand(top) // from stack into memory
    top = top - 1 // consumed
}
if (notJump(code(n)))
    pc = pc + 1 // by default go to next instructions
```

Actual Java Virtual Machine

JVM Instruction Description from JavaTech book

Official documentation:

<http://docs.oracle.com/javase/specs/>

[http://docs.oracle.com/javase/specs/jvms/se7/
html/index.html](http://docs.oracle.com/javase/specs/jvms/se7/html/index.html)

Use: **javac -g *.java** to compile

javap -c -l ClassName to explore

Selected Instructions

bipush X	Like iconst, but for arbitrarily large X
iload_x	Loads the integer value of the local variable in slot x on the stack. $x \in \{0, 1, 2, 3\}$
iload X	Loads the value of the local variable pointed to by index X on the top of the stack.
iconst_x	Loads the integer constant x on the stack. $x \in \{0, 1, 2, 3, 4, 5\}$.
istore_x	Stores the current value on top of the stack in the local variable in slot x. $x \in \{0, 1, 2, 3\}$
istore X	Stores the current value on top of the stack in the local variable indexed by X.
ireturn	Method return statement (note that the return value has to have been put on the top of the stack beforehand).
iadd	Pop two (integer) values from the stack, add them and put the result back on the stack.
isub	Pop two (integer) values from the stack, subtract them and put the result back on the stack.
imult	Pop two (integer) values from the stack, multiply them and put the result back on the stack.

idiv	Pop two (integer) values from the stack, divide them and put the result back on the stack.
irem	Pop two (integer) values from the stack, put the result of $x_1 \% x_2$ back on the stack.
ineg	Negate the value on the stack.
iinc x, y	Increment the variable in slot x by amount y.
ior	Logical OR for the two integer values on the stack.
iand	Logical AND for the two integer values on the stack.
ixor	Logical XOR for the two integer values on the stack.
ifXX L	Pop one value from the stack, compare it zero according to the operator XX. If the condition is satisfied, jump to the instruction given by label L. XX $\in \{ \text{eq}, \text{lt}, \text{le}, \text{ne}, \text{gt}, \text{ge}, \text{null}, \text{nonnull} \}$
if_icmpXX L	Pop two values from the stack and compare against each other. Rest as above.
goto L	Unconditional jump to instruction given by the label L.
pop	Discard word currently on top of the stack.
dup	Duplicate word currently on top of the stack.
swap	Swaps the two top values on the stack.
aload_x	Loads an object reference from slot x.
aload X	Loads an object reference from local variable indexed by X.
iaload	Loads onto the stack an integer from an array. The stack must contain the array reference and the index.
iastore	Stores an integer in an array. The stack must contain the arrayreference, the index and the value, in that order.

Example: Twice

```
class Expr1 {  
    public static int twice(int x) {  
        return x*2;  
    }  
}
```

javac -g Expr1.java; javap -c -l Expr1

public static int twice(int);

Code:

```
0: iload_0 // load int from var 0 to top of stack  
1: iconst_2 // push 2 on top of stack  
2: imul    // replace two topmost elements with their product  
3: ireturn  // return top of stack  
}
```

Example: Area

```
class Expr2 {  
    public static int cubeArea(int a, int b, int c) {  
        return (a*b + b*c + a*c) * 2;  
    }  
}
```

javac -g Expr2.java; javap -c -l Expr2

LocalVariableTable:

Start	Length	Slot	Name	Signature
0	14	0	a	I
0	14	1	b	I
0	14	2	c	I

```
public static int cubeArea(int, int, int);  
Code:  
0: iload_0  
1: iload_1  
2: imul  
3: iload_1  
4: iload_2  
5: imul  
6: iadd  
7: iload_0  
8: iload_2  
9: imul  
10: iadd  
11: iconst_2  
12: imul  
13: ireturn  
}  
}
```

What Instructions Operate on

- operands that are part of instruction itself, following their op code
(unique number for instruction - iconst)
- operand stack - used for computation (iadd)
- memory managed by the garbage collector
(loading and storing fields)
- constant pool - used to store ‘big’ values instead of in instruction stream
 - e.g. string constants, method and field names
 - mess!

CAFEBAE

Library to make bytecode generation easy and fun!

<https://github.com/psuter/cafebabe/wiki>

Named after magic code appearing in .class files
when displayed in hexadecimal:

0000000	ca	fe	ba	be	00	00	00	32	00	3b	0a	00	12	00	1e	07
0000020	00	1f	0a	00	02	00	1e	0a	00	02	00	20	08	00	21	08
0000040	00	22	09	00	23	00	24	07	00	25	0a	00	08	00	1e	08
0000060	00	26	0a	00	08	00	27	08	00	28	08	00	29	0a	00	02
0000100	00	2a	0a	00	08	00	2b	0a	00	08	00	2c	0a	00	2d	00

More on that in the labs!

Towards Compiling Expressions: Prefix, Infix, and Postfix Notation

Overview of Prefix, Infix, Postfix

Let f be a binary operation, $e_1 e_2$ two expressions

We can denote application $f(e_1, e_2)$ as follows

– in **prefix** notation $fe_1 e_2$

– in **infix** notation $e_1 f e_2$

– in **postfix** notation $fe_1 e_2$

- Suppose that each operator (like f) has a known number of arguments. For nested expressions
 - infix requires parentheses in general
 - prefix and postfix do not require any parentheses!

Expressions in Different Notation

For infix, assume $*$ binds stronger than $+$

There is no need for priorities or parens in the other notations

arg.list	$+(x,y)$	$+(*(x,y),z)$	$+(x,*(y,z))$	$*(x,+(y,z))$
prefix	$+ x y$	$+ * x y z$	$+ x * y z$	$* x + y z$
infix	$x + y$	$x * y + z$	$x + y * z$	$x * (y + z)$
postfix	$x y +$	$x y * z +$	$x y z * +$	$x y z + *$

Infix is the only problematic notation and leads to ambiguity

Why is it used in math? Ambiguity reminds us of algebraic laws:

- | | |
|-------------|---|
| $x + y$ | looks same from left and from right (commutative) |
| $x + y + z$ | parse trees mathematically equivalent (associative) |

Convert into Prefix and Postfix

prefix

infix $((x + y) + z) + u$ $x + (y + (z + u))$

postfix

draw the trees:

Terminology:

prefix = Polish notation

(attributed to Jan Lukasiewicz from Poland)

postfix = Reverse Polish notation (RPN)

Is the sequence of characters in postfix opposite to one in prefix if we have binary operations?

What if we have only unary operations?

Compare Notation and Trees

arg.list	$+(x,y)$	$+(*(x,y),z)$	$+(x,*(y,z))$	$*(x,+(y,z))$
prefix	$+ x y$	$+ * x y z$	$+ x * y z$	$* x + y z$
infix	$x + y$	$x*y + z$	$x + y*z$	$x*(y + z)$
postfix	$x y +$	$x y * z +$	$x y z * +$	$x y z + *$

draw ASTs for each expression

How would you pretty print AST into a given form?

Simple Expressions and Tokens

sealed abstract class Expr

case class Var(varID: String) extends Expr

case class Plus(lhs: Expr, rhs: Expr) extends Expr

case class Times(lhs: Expr, rhs: Expr) extends Expr

sealed abstract class Token

case class ID(str : String) extends Token

case class Add extends Token

case class Mul extends Token

case class O extends Token // (

case class C extends Token //)

Printing Trees into Lists of Tokens

```
def prefix(e : Expr) : List[Token] = e match {
    case Var(id) => List(ID(id))
    case Plus(lhs, rhs) => List(Add()) :: prefix(e1) :: prefix(e2)
    case Times(lhs, rhs) => List(Mul()) :: prefix(e1) :: prefix(e2)
}

def infix(e : Expr) : List[Token] = e match { // should emit parentheses!
    case Var(id) => List(ID(id))
    case Plus(e1, e2) => List(O())::: infix(e1) ::: List(Add()) ::: infix(e2) ::: List(C())
    case Times(e1, e2) => List(O())::: infix(e1) ::: List(Mul()) ::: infix(e2) ::: List(C())
}

def postfix(e : Expr) : List[Token] = e match {
    case Var(id) => List(ID(id))
    case Plus(e1, e2) => postfix(e1) ::: postfix(e2) ::: List(Add())
    case Times(e1, e2) => postfix(e1) ::: postfix(e2) ::: List(Mul())
}
```

LISP: Language with Prefix Notation

- 1958 – pioneering language
- Syntax was meant to be abstract syntax
- Treats all operators as user-defined ones, so syntax does not assume the number of arguments is known
 - use parentheses in prefix notation: $f(x,y)$ as $(f\ x\ y)$

```
(defun factorial (n)
  (if (<= n 1)
      1
      (* n (factorial (- n 1)))))
```

PostScript: Language using Postfix

- .ps are ASCII files given to PostScript-compliant printers
- Each file is a program whose execution prints the desired pages
- <http://en.wikipedia.org/wiki/PostScript%20programming%20language>

PostScript language tutorial and cookbook

Adobe Systems Incorporated

Reading, MA : Addison Wesley, 1985

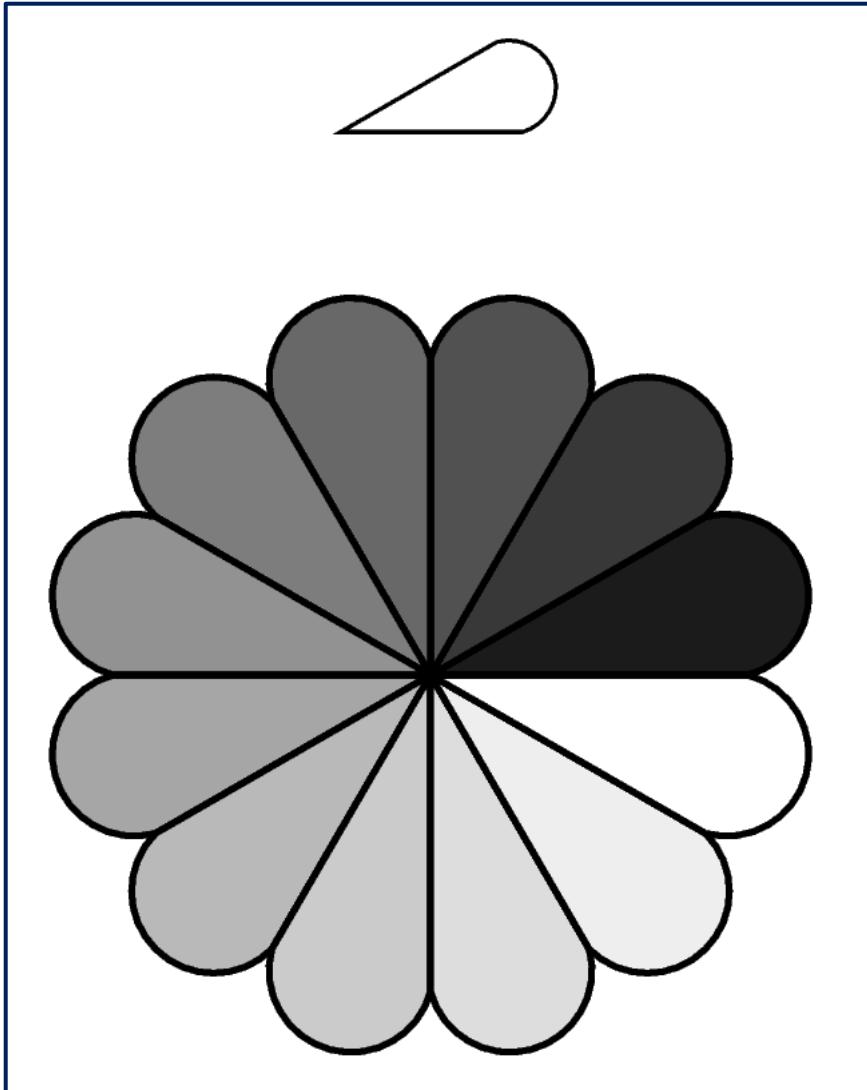
ISBN 0-201-10179-3 (pbk.)

A PostScript Program

```
/inch {72 mul} def
/wedge
{
    newpath
    0 0 moveto
    1 0 translate
    15 rotate
    0 15 sin translate
    0 0 15 sin -90 90 arc
    closepath
} def

gsave
3.75 inch 7.25 inch translate
1 inch 1 inch scale
wedge 0.02 setlinewidth stroke
grestore
gsave
4.25 inch 4.25 inch translate
1.75 inch 1.75 inch scale
0.02 setlinewidth
1 1 12
{
    12 div setgray
    gsave
    wedge
    gsave fill grestore
    0 setgray stroke
    grestore
    30 rotate
} for
grestore
showpage
```

If we send it to printer
(or run GhostView viewer gv) we get



```
4.25 inch 4.25 inch translate  
1.75 inch 1.75 inch scale  
0.02 setlinewidth  
1 1 12  
{ 12 div setgray  
gsave  
wedge  
gsave fill grestore  
0 setgray stroke  
grestore  
30 rotate  
} for  
grestore  
showpage
```

Why postfix? Can evaluate it using stack

```
def postEval(env : Map[String,Int], pexpr : Array[Token]) : Int = { // no recursion!
    var stack : Array[Int] = new Array[Int](512)
    var top : Int = 0;  var pos : Int = 0
    while (pos < pexpr.length) {
        pexpr(pos) match {
            case ID(v) => top = top + 1
                            stack(top) = env(v)
            case Add() => stack(top - 1) = stack(top - 1) + stack(top)
                            top = top - 1
            case Mul() => stack(top - 1) = stack(top - 1) * stack(top)
                            top = top - 1
        }
        pos = pos + 1
    }
    stack(top)
}
```

x -> 3, y -> 4, z -> 5
infix: x*(y+z)
postfix: x y z + *
Run 'postfix' for this env

Evaluating Infix Needs Recursion

The recursive interpreter:

```
def infixEval(env : Map[String,Int], expr : Expr) : Int =  
expr match {  
    case Var(id) => env(id)  
    case Plus(e1,e2) => infix(env,e1) + infix(env,e2)  
    case Times(e1,e2) => infix(env,e1) * infix(env,e2)  
}
```

Maximal stack depth in interpreter = expression height

Compiling Expressions

- Evaluating postfix expressions is like running a stack-based virtual machine on compiled code
- Compiling expressions for stack machine is like translating expressions into postfix form

Expression, Tree, Postfix, Code

infix: $x^*(y+z)$

postfix: x y z + *

bytecode:

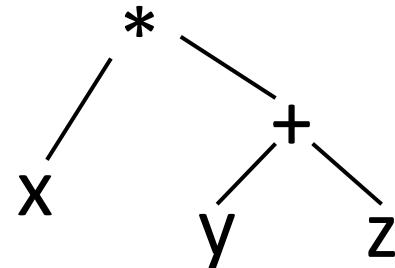
iload 1 x

iload 2 y

iload 3 z

iadd +

imul *



Show Tree, Postfix, Code

infix: $(x^*y + y^*z + x^*z)^*2$ tree:
postfix: bytecode:

“Printing” Trees into Bytecodes

To evaluate $e_1 * e_2$ interpreter

- evaluates e_1
- evaluates e_2
- combines the result using *

Compiler for $e_1 * e_2$ emits:

- code for e_1 that leaves result on the stack, followed by
- code for e_2 that leaves result on the stack, followed by
- arithmetic instruction that takes values from the stack and leaves the result on the stack

```
def compile(e : Expr) : List[Bytecode] = e match { // ~ postfix printer
  case Var(id) => List(ILoad(slotFor(id)))
  case Plus(e1,e2) => compile(e1) ::: compile(e2) ::: List(IAdd())
  case Times(e1,e2) => compile(e1) ::: compile(e2) ::: List(IMul())
}
```